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"The secret of science is to ask the right question, and it is the choice of problem more than anything else that marks the man of genius in the scientific world." Sir Henry Tizard in "A Postscript to Science and Government" by C. P. Snow, 1962.

IN THIS ISSUE . . .

Attenuation Factors for the Absorbed Radiation Dose in Quartz Inclusions for Thermoluminescence Dating W. T. Bell

A Swedish Vitrified Fort: Dating by Conventional TL D. A. Wright

Some Recent Bibliography

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ATTENUATION FACTORS FOR THE ABSORBED RADIATION DOSE IN QUARTZ INCLUSIONS FOR THERMOLUMINESCENCE DATING

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ABSTRACT

The dose attenuation factors for alpha and beta radiation passing through a 100 micron quartz grain are presented here and the dose dilution due to isotropic etching of the grains in hydrofluoric is also described.

ABSORBED DOSE FROM THE NATURAL RADIOACTIVE SERIES

The dose-rate conversion factors given previously in Bell (1977 and 1979) do not describe fully the actual radiation dose which effectively gives rise to TL from quartz grains embedded in a radioactive matrix. Two other factors which must be taken into consideration are (i) the relative inefficiency of the alpha particles compared to beta and gamma radiation at inducing TL, and (ii) the absorbed dose attenuation for both alpha and beta particles passing through inclusions of diameter comparable to or greater than the particle range in the absorber.

The relative inefficiency of alpha particles at inducing TL (compared to an equivalent dose of beta or gamma radiation) has been described in detail elsewhere by Zimmerman (1971 and 1972) and by Aitken and Bowman (1975) and the discussion shall not be repeated here. However, these efficiency factors must always be taken into account when determining the archaeological dose to a quartz grain.

The second factor, the grain-size dose attenuation, depends on both the type of radiation and on the size of the grains. In the 'fine-grain technique' of Zimmerman (1971) only grains in the size range 1-8 μ m are used and this is much less than the range of alpha particles (typically of the order of 25 μ m) and more than two orders of magnitude less than the range of beta particles (typically a few millimetres) in TL minerals. It is consequently reasonable to assume that grain-size attenuation factors are negligible for beta radiation in the 'fine grain technique' and are likely to be very small for alpha radiation (see Bell, 1979a).

In contrast the 'quartz inclusion technique' of Fleming (1970) utilises quartz grains of average diameter approximately 100 µm and for these grains the alpha dose and to a lesser extent the beta dose will suffer significant attenuation. This dating technique also requires the grains to be etched in hydrofluoric acid and this treatment will cause a further reduction in the alpha and beta doses. The above-mentioned factors have all been described before in various reference sources, but the purpose of this paper is to bring all of the information together in an easily usable form and to update previous calculations where necessary.

ALPHA DOSE ATTENUATION

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Spiers (1953) first studied the problem of the energy deposited in one medium due to particles generated in another and Kononenko (1957) studied the absorbed dose in tissue cavities due to alpha-particle emitters in surrounding bone. Both workers made the assumption that the linear energy transfer (LET), that is the energy deposited at any point along the track of a single charged particle, is independent of the particle energy. Charlton and Cormack (1962) derived expressions for the absorbed dose in tissue cavities in bone taking account of the dependence of LET on alpha energy and Howarth (1965) developed methods for calculating these expressions and gave tabulated values.

Put simply, the absorbed dose, $D_{\alpha}(x)$, at a point distant x from the interface between the emitting and absorbing media is given by

$$D_{\alpha}(x) = \frac{n_{o}L_{o}}{m^{S}} G_{\alpha}(x/R_{o})$$
(1)

where n_0 is the number of alpha particles, of initial energy E_0 and range R_0 in the absorber, emitted per unit mass of the emitter and ${}_{\rm m}$ S is the ratio of the mass stopping powers of the emitter and absorber. $G_{\alpha}(x/R_0)$ is a geometrical function which depends directly on the shape of the interface. The form of $G_{\alpha}(x/R_0)$ for a spherical interface is described fully by Howarth (1965) and this form, $S_{\alpha}(x/R_0, D/R_0)$, where D is the diameter of the spherical interface, was used in the present calculations. The absorber is taken to be the quartz grain immersed in a clay matrix with a uniform distribution of alpha sources which is taken to be the emitter. The absorber and emitter are assumed to have very similar mass stopping powers which implies ${}_{\rm m}$ S is unity.

 $D_{\alpha}(x)$ must be integrated over the volume of a grain in order to evaluate the mean absorbed alpha dose in the grain, $\overline{D_{\alpha}(Abs)}$. This integration has been performed numerically for a 100 µm quartz grain (full details of this and the other calculations found later in this paper are given in Bell, 1978) and the results for the two alpha emitting series are:

Uranium series,
$$\overline{D_{\alpha}(Abs)}_{U} = 0.215 \times \frac{n_{o}L_{o}}{m_{s}^{S}}$$
 (2)

Thorium series,
$$\overline{D}_{\alpha}(Abs)_{Th} = 0.248 \times \frac{n_o E_o}{m^S}$$
 (3)

This means that a 100 μ m quartz grain will absorb only 21.5% of the alpha dose that would be absorbed from the uranium series by an infinitesimally small grain and 24.8% of the dose from the thorium series. Fleming (1969, 1970) has also calculated the mean absorbed alpha dose for the uranium and thorium series using a similar method to that described above. He approximated the integration of D_{α}(x) over the volume of a grain by the use of summation techniques rather than the more accurate numerical integration used here. Nevertheless, his results were 21% and 25% for the uranium and thorium series respectively which are in very good agreement with equations 2 and 3 above.

ALPHA DOSE REDUCTION BY HYDROFLUORIC ACID ETCHING

Fleming (1970) has recommended that for the quartz inclusion technique the grains should be etched in concentrated hydrofluoric acid (HF) for approximately 40 min. at room temperature in order to remove any discoloured surface resulting from the diffusion of impurities into the quartz during firing and also to dissolve most non-quartz grains. He suggested that this etching process would reduce to negligible importance the alpha dosage to the quartz grains since the alpha particles penetrate only the outer grain layers. Bell and Zimmerman (1978) have shown that this may not be strictly correct due to the wide variations in the effect of HF etching on different quartz grains and that some error may be introduced by assuming the residual alpha dose is negligible. However, it is still important to estimate by what factor the alpha dose is reduced by HF etching even if it is assuming only isotropic removal of material.

To evaluate the mean absorbed alpha dose in a spherical quartz grain after etching, $\overline{D_{\alpha}(Abs)}^{*}$, the numerical integration of $D_{\alpha}(x)$ described above, must be performed over a grain volume with a layer of thickness d removed isotropically from the surface. The resultant absorbed dose after etching as a fraction of the dose before etching is given in Figure 1 for both the uranium and thorium series as a function of the etching depth d. The results of Fleming (1970) are also shown in Figure 1 and the difference is seen to be significant probably because the earlier curves were evaluated for calcium fluoride and then assumed to be the same for quartz to a "first order approximation" (Fleming, 1969 and 1977). The results given here indicate that the alpha dose to a 100 µm quartz grain will be reduced by a factor of 0.5 for an isotropic etching depth of 6.4 µm for the uranium series and 7.9 µm for the thorium series whereas Fleming (1970) quotes 4.2 µm and 5.4 µm for the uranium and thorium series respectively.

To assess the length of time required for the etching of the quartz grains a relationship between etching depth and etching time is necessary. Such a relationship will vary between samples, however, because of the variations in etching rates likely to be found between the quartz from different parts of the world. The assessment of the etching depth for individual samples is also quite complex because the isotropic etching depth is calculated from an experimental determination of the weight loss with etching time and this weight loss could include small quantities of feldspars or other non-quartz grains which might be present in the sample and then dissolved by the HF.

It is useful, therefore, to consider the results of etching experiments done by Fleming (1969, 1970) on 100 μ m grains of Norwegian alpha quartz. He gives figures of 4.2, 5.4, and 6.0 μ m as being the isotropic etching depths corresponding to 20, 30 and 40 minutes of acid treatment respectively. These figures are for concentrated HF at room temperature. It is apparent that if the alpha dosage to 100 μ m quartz grains is to be reduced by at least a factor of 0.5 then etching times of one hour must be considered as a minimum. The isotropic etching depth for Norwegian alpha quartz after one hour of acid treatment is 9 μ m (Fleming, 1969).

The alpha contribution to the overall radiation dose will depend on several parameters (i) the relative amounts of the natural radioactive decay series present in the surrounding clay matrix (this is because ⁴⁰K emits only beta and gamma radiation whereas the uranium and thorium series also

emit alpha radiation), (ii) the relative efficiency (or k value) of the alpha particles at inducing TL in the quartz grains, (iii) the attenuation of the alpha dose (and to a much lesser extent the beta dose as described in the next section) due to the size of the quartz grains, and (iv) the length of time the grains are immersed in HF acid. Table 1 shows how each of the above parameters affects the alpha contribution to the overall dose for 100 μ m quartz grains embedded in three clays of different radioactivities. Alpha efficiency factors (k values) of 0.1 and 0.05 and the effect of etching the grains for one hour in concentrated HF at room temperature are each considered in Table 1. The data presented in Table 1 uses the dose-rates given in Bell (1979) and the dose attenuation factors for alpha radiation calculated in this section and for beta radiation calculated in the next section.

It should be stressed again that these results are assuming isotropic etching of all the grains which is certainly not the case as illustrated by Bell and Zimmerman (1978) who have shown that certain grains lose a substantial portion of their inner volume as etching tunnels are eaten through the grains. For clay matrices of a type similar to clay I in Table 1 it is obvious that large errors are possible because of this phenomenon particularly if the quartz has a high alpha efficiency factor (k value). For the majority of samples with a reasonable amount of potassium present ($\div 1\%$ K₂0) and with a k value of the order of 0.05, then after etching the grains for about one hour in concentrated HF the error involved in neglecting the alpha particle contribution to the overall dose is likely to be much less than 5%.

BETA DOSE ATTENUATION

Spencer (1959) has calculated the average energy dissipated near a point isotropic source of monoenergetic electrons by a moments method of solution of the electron transport equation. He presented numerical values of a "dedimensionalised energy dissipation distribution" J(z) evaluated for electrons in various media (z is the distance from the source of electrons divided by their range r_0). This treatment has been extensively tested by Cross (1967, 1968) and it was found that over a wide range of spectral shapes there is excellent agreement between theory and experiment for distances from the source within which 95% of the energy is deposited. Charlton (1970) has incorporated the theory of Spencer (1959) into a convenient formalism which may be extended to the case of quartz inclusions embedded in a clay matrix in order to evaluate the beta dose attenuation factors for the natural radioactive series.

In similar fashion to equation (1), the beta dose absorbed at a point within a sphere distant x from the interface with a medium having a uniform distribution of beta sources is given by

$$D_{\beta}(\mathbf{x}) = \frac{n_{o}E_{o}}{m^{S}} S_{\beta}(\mathbf{x}/\mathbf{r}_{o}, \mathbf{D}/\mathbf{r}_{o})$$
(4)

where n_0 is the number of electrons of initial energy E_0 and range r_0 originating per unit mass of the active medium, m^S is the ratio of the mass stopping powers of the surrounding medium and the sphere, D is the diameter of the sphere, and $S_{\beta}(x/r_0, D/r_0)$ is the geometrical dose distribution function for beta particles given by Charlton (1970).

The values of $S_{\beta}(x/r_{o},D/r_{o})$ for quartz have been interpolated from the values for carbon and aluminium given by Charlton (1970) using the interpolation method recommended by Spencer (1959) and then $D_{\beta}(x)$ was integrated over the volume of a quartz grain of diameter 100 µm (Bell, 1978). The resultant mean absorbed dose for beta particles, $\overline{D_{\beta}(Abs)}$, from each series is then given by:

Uranium series,

$$\overline{D_{\beta}(Abs)}_{U} = 0.938 \times \frac{n_{o}E_{o}}{m^{S}}$$
(5)

Thorium series,

$$\overline{D_{\beta}(Abs)}_{Th} = 0.910 \times \frac{n_{o}E_{o}}{m^{S}}$$
(6)

Potassium-40,

$$\overline{D_{\beta}^{(Abs)}}_{K} = 0.966 \times \frac{n_{o}^{E}}{m_{o}^{S}}$$
(7)

Rubidium-87,

$$\overline{D_{\beta}(Abs)}_{Rb} = 0.426 \times \frac{n_{o}E_{o}}{m^{S}}$$
(8)

It is appropriate, however, to include internal conversion (IC) electrons with the beta attenuation factors and when this is done the mean absorbed beta doses for the uranium and thorium series become

$$\overline{D_{\beta}(Abs)}_{U} = 0.899 \times \frac{n_{o}E_{o}}{m^{S}}$$
(9)

$$\overline{D_{\beta}(Abs)}_{Th} = 0.845 \times \frac{n_{o}E_{o}}{m^{S}}$$
(10)

Therefore, a 100 µm quartz grain will absorb 89.9% of the beta dose that would be absorbed from the uranium series by an infinitesimally small grain, 84.5% of the dose from the thorium series, 96.6% of the dose from potassium-40 and 42.6% of the dose from rubidium-87. These values are in excellent agreement with the figures of 90.5%, 85.5%, and 96.5% given by Mejdahl (1979) for the uranium and thorium series and potassium-40 respectively.

The method adopted by Mejdahl (1979) for calculating the beta dose attenuation factors was based on the scaled absorbed-dose distribution functions given by Berger (1971, 1973) which are directly analogous to the dose distribution functions given by Charlton (1970) used in this paper. Both methods use the work of Spencer (1959) as a base on which to develop their separate formalisms and it is not surprising, therefore, that the results for the beta dose attenuation factors given here are in such excellent agreement with those presented by Mejdahl (1979).

For a typical clay matrix having 3 ppm uranium, 12 ppm thorium and 1% K_2^0 (clay II in Table 3) the overall beta attenuation factor for a 100 μ m quartz grain calculated here is 0.918. Mejdahl (1979) quotes 0.921 for the same grain size and concentration of radioisotopes, but he has also extended his work to include grain sizes from 5 μ m up to 10 mm. For example, he gives beta dose attenuation factors of 0.875 and 0.836 for 200 μ m and 300 μ m diameter quartz grains respectively in the same clay as above. For these larger grain sizes the residual alpha dose will be very small before etching and completely negligible if the grains are etched in HF. The use of grains larger than 100 μ m may prove to be more propitious, therefore, for certain dating projects.

BETA DOSE REDUCTION BY HF ETCHING

The mean absorbed beta dose in a quartz grain after etching, $\overline{D_{\beta}(Abs)^{*}}$, is evaluated by numerical integration of $D_{\beta}(x)$ over the grain volume with a layer d removed from the surface. The absorbed dose after etching is given as a fraction of the dose before etching for each member of the uranium series in Figure 2 and of the thorium series in Figure 3. The dose attenuation of Rb-87 is also shown in Figure 3 whereas the potassium-40 beta dose suffers negligible dose reduction even at extreme etching depths.

Etching the grains for one hour in concentrated HF at room temperature, corresponding to an etching depth of 9 μ m, reduces the beta dose from the thorium series by a factor of 0.915, the beta dose from the uranium series by a factor of 0.940 and the beta dose from rubidium-87 by a factor of 0.755.

CONCLUSIONS

The attenuation factors for alpha and beta radiation which must be used in the dose assessment for quartz inclusions of average diameter 100 µm have been evaluated and the reduction of the radiation dose effected by etching the grains in HF has been illustrated. No mention has been made of the gamma radiation dose. This is because gamma rays from the natural radioactive series have a range of up to 30 cm or more in clay material and hence they will suffer negligible attenuation when passing through a 100 µm quartz grain. Care must be exercised, however, when dealing with a surrounding clay matrix which has an atomic number very different from that of the TL grains. At low energies the absorbed gamma energy varies approximately as the fourth power of the atomic number of the absorber and thus significant differential energy absorption between the TL grains and the surrounding matrix could occur. This phenomenon has been described by Chan and Burlin (1970), but for most pottery samples the atomic number of the clay matrix is very similar to that of quartz inclusions and negligible error is introduced by ignoring the effect.

FIGURE CAPTIONS

- Figure 1: The mean absorbed alpha dose in a 100 µm quartz grain with a layer d removed by etching, $\overline{D_{\alpha}(Abs)}^{*}$, as a fraction of the dose before etching, $\overline{D_{\alpha}(Abs)}$, for the Uranium and Thorium series. The results of Fleming (1970) are shown in dotted lines.
- Figure 2: The mean absorbed beta dose in a 100 μ m quartz grain with a layer d removed by etching, $\overline{D_{\beta}(Abs)}^*$, as a fraction of the dose before etching, $\overline{D_{\beta}(Abs)}$, for the Uranium series.
- Figure 3: The mean absorbed beta dose in a 100 μ m quartz grain with a layer d removed by etching, $\overline{D_{\beta}(Abs)}^{*}$, as a fraction of the dose before etching, $\overline{D_{\beta}(Abs)}$, for the Thorium series and Rubidium-87.

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TABLE 1

The contribution from alpha particles as a percentage (%) of the overall radiation dose to 100 μ m quartz grains embedded in three clays of different radioactivities. The contribution is calculated for alpha efficiency factors of 0.1 and 0.05, both before and after etching the grains in HF acid for one hour (assuming isotropic removal of material).

	Alpha Dose befor	e Etching (%)	Alpha Dose after Etching (%)				
	k = 0.1	<u>k = 0.05</u>	<u>k = 0.1</u>	<u>k = 0.05</u>			
Clay I	20.2	11.2	9.0	4.7			
Clay II	14.2	7.6	6.0	3.1			
Clay III	10.9	5.8	4.5	2.3			

The radioactive composition of the three clays is as follows:

Clay	I	12	ppm	Th,	3	ppm	U		
Clay	II	12	ppm	Th,	3	ppm	U,	1%	к ₂ 0
Clay	III	12	ppm	Th,	3	ppm	υ,	2%	K_0





FIGURE 3



A SWEDISH VITRIFIED FORT: DATING BY CONVENTIONAL TL

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(1) Introduction.

This paper gives an account of measurements of conventional TL on samples discussed in a previous publication. (Wright 1979a). In that paper dating was carried out by the predose method on material from a Swedish vitrified fort. In the present work the samples and their preparation were as in the earlier paper. The standard procedure has been followed, including plateau test, correction for supralinearity, check of parallel slope criterion, and check for fading.

(2) Results.

(a) Samples treated in dilute IICl only. 4e, 8a, 8b, 12, 14.

This treatment removed the limestone but feldspar was retained with the quartz, (feldspar 17.6%, quartz 82.4%). The TL behaviour was normal, giving plots of which Fig. 1 is typical (sample 4e). The TL was large, and the tests were satisfactory; for sample 4 the fading in two months was about 16% consistent with feldspar being the main source of the TL (Fleming 1976). The archaeological dose for sample 8 (350 μ) was however equivalent to a β -irradiation time of 220 min. compared with the predose result of 90 min.

This large difference is due at least in part to the presence of feldspar in the samples. Chemical analysis showed that 97-99% of the K₀ was present in the feldspar. The feldspar and quartz combined constituted about 0.5% of the total sample; there was about 2% brown flaky material, the remainder limestone. The β -dose rate within the feldspar grains is considerably higher than the mean dose to the quartz grains as deduced from the mean K₀ and U/Th content.

Recent work by Mejdahl et al (1979) shows that the β -dose rate due to K₂0 within feldspar grains exceeds the mean rate to quartz grains in a manner which may provide the basis for a new method of TL dating. The feldspar dose rate increases with grain size, whereas the dose rate to quartz decreases with grain size, and the former becomes twice the latter for the compositions considered by Mejdahl at a grain size of 800 μ . In the present case the situation is extreme because of the low feldspar concentration in the total, so that many quartz grains receive a dose rate less than that corresponding with the mean composition. A ratio of feldspar/quartz dose rate of 2.4 at a grain size of 350 μ is indicated, and presumably results from this extreme situation. There are indications also that the U/Th as well as the K₂0 is concentrated in the feldspar.

(b) Samples < 350 µ after etching in HF. 6, 6a, 6c, 7a, 11, 13.

5 B.

These samples were etched for 45 min. in 40% HF. washed in water and dried using acetone. The main feature of the results was the absence of a plateau, as shown in Fig. 3b. The ratio of archaeological to artificial TL shows a marked peak in the region of 300° C. The artificial TL signal is shown in Fig. 3a, and has peaks at 190 and 250°. It was realised that these TL signals were characteristic of CaF, and x-ray analysis confirmed that this compound was present. It had not been present in the samples before etching in HF. X-ray analysis showed broadening of the CaF lines indicating poor crystallinity, consistent with formation in situ. It is presumably formed by reaction of the HF with the feldspar. This behaviour was further confirmed by measuring the TL on sample 8b, after HCl only, and then etching in HF. Subsequent measurement of TL gave the result 8c after an artificial β dose, similar to the results of series 6 samples. The CaF gives no archaeological signal, but a large artificial signal especially in the 300° region.

(c) Larger grains.

By handpicking after sieving, it was possible to select clear translucent grains 0.3 - 1 mm, and by optical examination to distinguish quartz from feldspar. There was then no need to use HF in order to isolate quartz inclusions. Results were as in Fig. 4. There was little variation of TL with temperature above 270°C, and there was a fairly good plateau from 250 to 380° (Fig. 4b). The archaeological dose was now equivalent to a mean of 87 min., in good agreement with the predose result on the larger grains (Wright 1979a).

It was now possible to check whether HF has the undersirable effect of producing CaF₂ by reaction with quartz. Grains separated as shown above were given the standard etching in HF, followed by washing in water and acetone leading to the results on sample 10. These were indistinguisable from the results on sample 9. showing that either CaF₂ is not produced in reaction with HF, or with large grains it is readily removed by normal washing.

(d) Removal of CaF₂.

Samples from which all calcite had been removed by HC1 treatment were etched in HF and then treated in A1 C1₃, as recommended by Carriveau (1977). Although the solution did not clear completely, x-ray analysis showed no evidence of CaF_{0} , and the TL results were as in Fig. 4.

Another sample containing residual calcite was etched in HF and treated in Al Cl₃ and did give residual CaF₂, and results as in Fig. 3. Thus CaF₂ is more readily produced, or less readily removed, when HF reacts with Ca CO₃ compared with feldspar, and correspondingly more care is then necessary to ensure CaF₂ removal.

(3) Conclusions.

When using the conventional quartz inclusion method, great care is necessary (a) to ensure removal of feldspar, and (b) to avoid production of fluorite by reacting HF with feldspar or calcite. Large errors in age or absence of plateau can be produced by failing to meet these conditions.

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