

## www.ancienttl.org · ISSN: 2693-0935

Rodnight, H., 2008. *How many equivalent dose values are needed to obtain a reproducible distribution?* Ancient TL 26(1): 3-9. https://doi.org/10.26034/la.atl.2008.414

This article is published under a *Creative Commons Attribution 4.0 International* (CC BY): https://creativecommons.org/licenses/by/4.0



© The Author(s), 2008

# How many equivalent dose values are needed to obtain a reproducible distribution?

### H. Rodnight<sup>1,2</sup>

- 1. Institute of Geography and Earth Sciences, Aberystwyth University, Ceredigion SY23 3DB, United Kingdom
- 2. Institut für Geologie und Paläeontologie, Universität Innsbruck, Innrain 52, 6020 Innsbruck, Austria (email: helena.rodnight@uibk.ac.at)

(Received 12 Dec 2007; in final form 16 May 2008)

#### Introduction

Since the development of single-aliquot measurement protocols, it has been feasible to rapidly obtain multiple estimates of the equivalent dose (D<sub>e</sub>) for a single sample. Where a number of De values have been measured, a dose distribution can be obtained; the shape and spread of this distribution may be an important factor in obtaining the appropriate burial dose (D<sub>b</sub>) for age calculation. Where the D<sub>e</sub> values form a Gaussian distribution which is tightly clustered, some form of the mean is appropriate for the  $D_{b}$  value. Where the distribution is more scattered, however, a mean value is unlikely to be a good representation of the true burial dose. Scatter in D<sub>e</sub> distributions can arise from a variety of factors including heterogeneous bleaching, post-depositional beta dose-rate heterogeneity; mixing and heterogeneous bleaching appears to be the most common cause of scatter and is most frequently discussed in the literature. Heterogeneous bleaching arises from insufficient exposure of a sediment to sunlight during transport, leading to residual trapped charge remaining in some or all of the grains on deposition; hence an overestimation of the burial dose is calculated for these grains. A relatively large number of studies have focussed on how to obtain an appropriate D<sub>b</sub> value from such a distribution for a heterogeneously-bleached sample since the problem was first identified in a water-lain deposit by Murray et al. (1995). Less attention, however, has been paid to how to obtain a De dataset suitable for such analyses, i.e. how many replicate De measurements are sufficient to obtain a distribution that would result in a reproducible D<sub>b</sub> value. If an insufficient number of D<sub>e</sub> values is used, the final D<sub>b</sub> value could be incorrect, regardless of how one calculated this D<sub>b</sub>. Whilst for a well-bleached sample a relatively small number of De values are sufficient for Db calculation, for a heterogeneously-bleached sample it might be expected that more measurements would be necessary to calculate the appropriate D<sub>h</sub>.

The number of  $D_e$  values used in studies investigating partial bleaching varies considerably; whilst many studies obtain more than 50 values per sample (e.g. Olley et al., 1998; Lepper et al., 2000; Folz et al., 2001; Rowland et al., 2005) others use less than 10  $D_e$  values for some samples (e.g. Colls et al., 2001; Fuchs and Lang, 2001; Srivastava et al., 2001). The quantity of material available for analysis can be a limiting factor in some instances; however, it is still desirable, where possible, to obtain enough  $D_e$  values for a reproducible distribution. The appropriate number of  $D_e$  values is not currently specified in the literature. This study aims to quantify this parameter through the use of a dataset obtained for a heterogeneously-bleached fluvial sample.

#### Sample details

Sample Aber/70KLA1, used in this study, was collected from an abandoned channel of the Klip River, South Africa, by augering through postabandonment organic deposits until continuous sand was encountered. The uppermost part of this sandy deposit was sampled and interpreted as being derived from the final bedload transport event in the channel (Rodnight et al., 2006). The sample was pretreated following common procedures including 10% v.v. HCl and 20 volumes H<sub>2</sub>O<sub>2</sub> to remove carbonates and organic matter, respectively. The 212-250 µm size fraction was obtained from dry sieving and sodium polytungstate solutions (densities of 2.62 and 2.70  $g/cm^3$ ) were used to obtain the quartz fraction which was etched with 40% HF acid for 45 minutes followed by washing with concentrated HCl. The sample was then resieved and the quartz grains retained were used for OSL measurements. Small aliquots (mask diameter 2 mm and containing  $\sim 30$ grains) were used for all the measurements discussed in this paper. 175 aliquots of this sample were measured using the single-aliquot regenerative-dose (SAR) protocol (Murray and Wintle, 2000) with a preheat for 10 s at 220°C and a cut-heat at 160°C.

Aliquots were rejected if: (1) no detectable OSL signal was present after a regeneration dose had been applied; (2) the  $L_N/T_N$  value did not intersect with the growth curve; (3) the recycling ratio was not consistent with  $1.0 \pm 0.1$ ; (4) the IR-OSL depletion ratio was not consistent with  $1.0 \pm 0.1$  (Duller, 2003); (5) recuperation following a 0 Gy dose was detected (giving a  $L_X/T_X$  value greater than 5% of  $L_N/T_N$ ). 122 De values were obtained after these rejection criteria had been applied. The errors associated with the individual De values were calculated in Luminescence Analyst (Version 3.20) from counting curve fitting and an instrumental statistics, reproducibility error of 2.5% (Duller, 2007).

The distribution obtained for Aber/70KLA1 indicated that the sample was heterogeneously bleached (Fig. 1), with a large range of  $D_e$  values present and an overdispersion value of 37% (Rodnight et al., 2006). Rodnight et al. (2006) demonstrated that the Finite Mixture Model (Galbraith and Green, 1990) gave the most reproducible  $D_b$  values when applied to replicate datasets of five samples and burial ages that were stratigraphically consistent with independent age control. Using the Finite Mixture Model on the dataset of 122  $D_e$  values, a  $D_b$  of 2.38  $\pm$  0.02 Gy was calculated for Aber/70KLA1. This was obtained by fitting 5 components to the data set and  $D_b$  was the value of the lowest dose component containing a minimum of 10% of the aliquots



**Figure 1:** Radial plot of  $D_e$  distribution for sample Aber/70KLA1.  $D_e$  values for 122 aliquots are shown. Redrawn from Rodnight et al. (2006).

#### Methods

To determine how many De values are needed to characterise the distribution for Aber/70KLA1, subsamples containing 5, 10, 15, 20, 30, 40, 50 and 60 D<sub>e</sub> values were randomly selected from the 122, and this was repeated 20 times for each sub-sample size resulting in 160 datasets. When the sub-sample contains more than 5 D<sub>e</sub> values there will be some replication of the De values in the datasets, but the analysis should still allow one to investigate the reproducibility of the distribution for а heterogeneously-bleached set of grains. Each of the 160 sub-samples (of 5, 10, 15, ... 60 D<sub>e</sub> values) was tested for normality using the 1-sample Kolmogorov-Smirnov test (SigmaPlot Version 7.0, SPSS Inc.). The results (Fig. 2) indicate that for this sample, at least 50 De values need to be measured to be certain of obtaining a dataset that is statistically non-normal. If the dataset contains less than 20 aliquots, there is a greater than 50% chance that a distribution from this heterogeneously-bleached sample will appear normal.

The  $D_b$  value was obtained for each of the 160 subsamples using a variety of statistical models that have been proposed (Olley et al., 1998; Fuchs and Lang, 2001; Thomsen et al., 2003; Galbraith and Laslett, 1993; Galbraith and Green, 1990) for obtaining an appropriate  $D_b$  value from a heterogeneouslybleached sample. The change in the  $D_b$  values obtained, and the spread of the values for each subsample size can be used to assess how reproducible the results are for each method, at each sub-sample size. A brief description of each of these statistical techniques is given below.



**Figure 2:** Bar chart showing the percentage of the sub-sample datasets from sample Aber/70KLA1 that is statistically normal using the 1-sample Kolmogorov-Smirnov test.

#### Method 1: Olley et al. (1998)

The authors of this paper found that they were able to calculate an OSL age consistent with the known age for a poorly bleached flood deposit from the Murrumbidgee River, Australia, by taking the mean of the lowest 5% of 78 measured  $D_e$  values. They subsequently used the mean of the lowest 5% of  $D_e$  values to calculate ages for fluvial samples from a core from the Namoi River; they found that the ages generally increased with depth. Whilst this method appeared to be suitable for the rivers investigated, it would be expected that the percentage of  $D_e$  values used would have to be 'calibrated' for different depositional systems.

#### Method 2: Fuchs and Lang (2001)

Low quantities of quartz were obtained from the samples detailed in this paper, therefore only nine or ten aliquots were analysed per sample. The results showed De values that were scattered more than expected from experimental variation, and this scatter was attributed to heterogeneous bleaching. Aliquots which had been artificially bleached and irradiated yielded a maximum standard deviation of 4% in the D<sub>e</sub> values obtained from these measurements. To calculate a D<sub>b</sub> value from the natural D<sub>e</sub> values, based on only those D<sub>e</sub> values from aliquots consisting of well-bleached grains, the De values for each sample were ranked in order from lowest to highest. Starting with the lowest value, and including one additional  $D_e$  value at a time, the mean  $D_e$  and the percentage standard deviation was calculated. This was repeated including aliquots with increasing values of D<sub>e</sub> until the standard deviation of the mean was 4%, and this mean value was taken to be the most appropriate estimate of D<sub>b</sub>.

#### Method 3: Thomsen et al. (2003)

This paper detailed a method which calculated the correct  $D_b$  from single grain  $D_e$  values for quartz extracted from irradiated blocks. To calculate a  $D_b$  value based on those grains from the well-bleached part of the distribution, the ratio of the external measurement of uncertainty ( $\alpha_e$ ) to the internal measurement of uncertainty ( $\alpha_i$ ) was used. The equations for these two measurements of uncertainty are:

$$\alpha_e^2 = \frac{\sum_{i=1}^n \frac{(x_i - \overline{x})^2}{\sigma_i^2}}{(n-1)\sum_{i=1}^n \frac{1}{\sigma_i^2}}$$

$$\alpha_i^2 = \frac{1}{\sum_{i=1}^n \frac{1}{\sigma_i^2}}$$

where x<sub>i</sub> is the dose estimate from each individual grain,  $\sigma_i$  is its uncertainty,  $\overline{x}$  is the weighted mean, and n is the number of measurements.  $\alpha_e$  combines information on individual estimates of uncertainty for each grain and the deviation from a weighted mean. If there is no other source of error except for the uncertainty on the individual data points then  $\alpha_e$ reduces to  $\alpha_i$ , so for a large, normal population  $\alpha_e/\alpha_i$ tends to unity (i.e. where the overdispersion is 0). In a distribution containing partially bleached grains, this ratio can be used to determine which grains are well bleached, i.e. where the distribution in  $x_i$  is consistent with  $\sigma_i$ . Any additional variance because of heterogeneous bleaching will increase  $\alpha_e$  relative to  $\alpha_i$ . By ranking the individual equivalent doses from lowest to highest and calculating  $\alpha_e/\alpha_i$  for n = 2, 3...x until  $\alpha_c/\alpha_i = 1 \pm (2(n-1))^{-0.5}$ , only the wellbleached grains are used in the calculation of D<sub>b</sub>. Any grain giving a  $D_e$  above this point is assumed to be partially bleached.

## Method 4: Galbraith and Laslett (1993) – Minimum Age Model

The minimum age model was developed for samples where heterogeneous bleaching is evident (Galbraith et al., 1999). The model fits a truncated normal distribution to the logarithms of the individual  $D_e$ values, with the truncation point giving the value of  $D_b$ . To describe the distribution fitted to the dataset, four parameters and their errors need to be calculated: (1) the proportion of grains that were fully bleached prior to burial; (2) the truncation point of the distribution (i.e. the logarithm of the  $D_b$  value); (3) the value that would be the mean of the normal distribution fitted to the dataset; and (4) the overdispersion of this distribution.

#### Method 5: Galbraith and Green (1990) – Finite Mixture Model

This model was developed for instances where grains of more than one discrete population are present and where each population has been well bleached and can be described by the central age model (Galbraith et al., 1999). Although this model has been designed for a distribution consisting of a discrete number of populations (components), it can be applied to a heterogeneously-bleached sample. As the model selects populations based on the logarithms of  $D_e$ values that are consistent with one another (within a pre-defined overdispersion value), the  $D_b$  of the lowest population will be essentially derived from a normal distribution of the lowest De values. Thus, if the dataset contains some De values measured from well-bleached grains, this lowest population should give the appropriate  $D_b$  value for the sample. To analyse a dataset, the model is run repeatedly, starting with only one component, and then with an additional component included each time. The model output includes two parameters which can be used to select the most appropriate number of components for fitting the dataset. The maximum log likelihood (llik) of a fit is likely to improve indefinitely as a greater number of components are fitted, although this does not necessarily mean that the solution is a better one. The Bayesian Information Criterion (BIC) takes into account the complexity of the model as well as the goodness of the fit to the data, and hence reduces down to a minimum at the 'best' fit, before rising as the increase in the llik is outweighed by the additional components (Jacobs et al., 2008). For each of the 160 sub-samples in this study, the D<sub>b</sub> value was calculated from running the model with the number of components that were calculated to have the best-fit (using the BIC). The final D<sub>b</sub> value calculated for each sub-sample was based on the lowest population that contained at least 10% of the D<sub>e</sub> values in the dataset. This 10% value was selected arbitrarily so that populations based on one or two D<sub>e</sub> values only were not used for derivation of the sample D<sub>b</sub>. The number of components found to have the best fit varied between the sub-samples. As an example, the number of components fitted to the 50  $D_e$  sub-samples was as follows: two components (2) sub-samples); three components (6 sub-samples); four components (8 sub-samples); five components (3 sub-samples); and six components (1 sub-sample).

The first two methods do not incorporate the error on the individual  $D_e$  values in the analysis. If the brightness of the OSL signal is variable on an aliquot-to-aliquot basis, however, then the  $D_e$  errors will also vary considerably. Thus it is preferable for them be taken into account, otherwise a value that may appear to be an outlier can actually form part of the main distribution within errors.

For Method 5 an overdispersion value of 10% was used for each component; since no well-bleached samples were available from the Klip River study area this was based on a dataset of  $D_e$  values obtained from analysis of small aliquots of a well-bleached last glacial maximum linear sand dune from Tasmania (see Rodnight et al., 2006 for further details). For Method 4 this 10% overdispersion was incorporated into the minimum age model so that the results were comparable with those from Method 5.

#### Results

The results obtained for each method using the dataset for Aber/70KLA1 are shown in Figure 3. The  $D_b$  value calculated for each of the 160 datasets is plotted as a filled circle as a function of sub-sample size. The error bars indicate the absolute error associated with the greatest  $D_b$  value calculated for each sub-sample size. The grey line joins the mean  $D_b$  value for each sub-sample size to indicate whether changing sub-sample size can be associated with the trend in the mean  $D_b$  value calculated. The relative standard deviation (RSD) calculated for the 20  $D_b$  values for each sub-sample size is indicated by the open triangle.

The results using Method 1, of Olley et al. (1998), to calculate  $D_b$  are shown in Figure 3a. When the subsample consists of more than 20  $D_e$  values, consistent values are obtained for the  $D_b$ . The  $D_b$  for datasets with  $\leq 20$   $D_e$  values will be derived from the lowest  $D_e$  value only, whilst the  $D_b$  for the 60  $D_e$  sub-sample is based on the lowest 3  $D_e$  values. As this technique takes into account only very few aliquots from the lower end of the distribution, each  $D_b$  value is essentially based on the same few  $D_e$  values. This is demonstrated by the mean  $D_b$  values that fall monotonically for between 5 and 20  $D_e$  values, and then remain constant at around 1.8 Gy. Using this method, the RSD of the results falls to <5% when at least 50  $D_e$  values are included in the analysis.

The RSD of the  $D_b$  values obtained using Method 2 (Fuchs and Lang, 2001) show poor reproducibility in the results (Fig. 3b). This poor reproducibility arises because of the sensitivity of the procedure to a high percentage standard deviation in the lowest two or three  $D_e$  values in the sub-sample. For instance, if the first few  $D_e$  values vary considerably, a high relative standard deviation results and the  $D_b$  is calculated from only these very few values. Even when the sub-sample consists of 60  $D_e$  values, the RSD of the  $D_b$  values remains high (>10%).

For sub-samples containing  $\leq 15 \text{ D}_e$  values, Method 3 (Thomsen et al., 2003) tends to select low outlying values for calculation of the D<sub>b</sub>; however, with larger sub-sample sizes this does not occur (Fig. 3c). In general, the mean D<sub>b</sub> value that is calculated stays relatively consistent at ~2.1 Gy, and the RSD of the D<sub>b</sub> values is <5% when 50 D<sub>e</sub> values are included in the analysis. The errors associated with the D<sub>b</sub> value are, however, highly variable owing to the manner in which the  $\alpha_e/\alpha_i$  ratio is used to derive the errors.





**Figure 3:** Results from analysis of different subsamples of the  $D_e$  dataset. The sub-samples were used to derive  $D_b$  values (left-hand axis) using five statistical methods, the  $D_b$  for each sub-sample is shown as a filled circle; the errors associated with the largest  $D_b$  value for each sub-sample size are also shown. The grey line shows the mean  $D_b$  values for each sub-sample size. The relative standard deviations of the  $D_b$  values for each size grouping are plotted as triangles using the right-hand axis.

Method	Minimum D <sub>b</sub> (Gy)	Maximum D <sub>b</sub> (Gy)	Mean D <sub>b</sub> (Gy)
1. Olley et al. (1998)	$1.58 \pm 0.08$	$1.90 \pm 0.01$	$1.68\pm0.02$
2. Fuchs and Lang (2001)	$1.46\pm0.32$	$2.17\pm0.23$	$1.88\pm0.06$
3. Thomsen et al. (2003)	$1.83\pm0.28$	$2.07\pm0.06$	$1.97\pm0.02$
4. Minimum Age Model	$1.71\pm0.10$	$1.92\pm0.09$	$1.78\pm0.01$
5. Finite Mixture Model	$2.31\pm0.05$	$2.43\pm0.05$	$2.36\pm0.01$

**Table 1:** Summary of results obtained using the sub-samples containing 50  $D_e$  values. Showing the minimum and maximum  $D_b$  values, and the mean  $D_b$  (and its standard error) of the 20 calculated values.

Using Method 4, the Minimum Age Model of Galbraith and Laslett (1993), for  $D_b$  analysis the average  $D_b$  values decrease until a sub-sample size of 30 after which they remain relatively constant (Fig. 3d). A sub-sample size of 50  $D_e$  values or more is needed to reduce the RSD to less than 5%.

Using the Finite Mixture Model (Method 5), of Galbraith and Green (1990), the results (Fig. 3e) are similar to the Minimum Age Model; the mean  $D_b$  values fluctuate until a sub-sample size of 30 is used, after which they remain relatively constant, and a sub-sample size of 50  $D_e$  values or more is needed to reduce the RSD to less than 5%. As one would expect, however, the minimum age model consistently derives lower  $D_b$  values than the finite mixture model.

The minimum and maximum  $D_b$  values calculated from the 20 sub-samples containing 50  $D_e$  values are detailed in Table 1. This shows that Methods 1 and 4 (Olley et al., 1998, and the Minimum Age Model) calculate the lowest  $D_b$  values for all the datasets, whilst the Finite Mixture Model calculated the highest  $D_b$  values. The errors associated with the  $D_b$ values vary considerable as a result of the different ways in which they are calculated for the individual methods. Between the various methods there is up to 40% difference in the mean  $D_b$  values, demonstrating the necessity of careful consideration when choosing a statistical technique for  $D_b$  calculation.

#### **Discussion and Conclusions**

With the exception of Method 2, the RSD of the  $D_b$ values calculated from sub-samples is always less than 5% for sub-samples containing 50 De values. In general, the results from Methods 2 and 3 show more variation in the final D<sub>b</sub> values than the other models; this suggests that techniques based on the inclusion of increasing values until a predefined parameter is reached encounter problems with low, outlying, values. This is particularly demonstrated by the results for Method 2 owing to the fact that the errors on the individual De values are not taken into consideration. Only the D<sub>b</sub> values calculated using the Finite Mixture Model are consistent with the result obtained from the entire dataset of 122 D<sub>e</sub> values  $(2.38 \pm 0.02 \text{ Gy}, \text{ calculated using the Finite})$ Mixture Model) as one might expect.

Sample Aber/70KLA1 has an overdispersion parameter of 37%, other work has detailed  $D_e$ distributions with similar or greater values of overdispersion (e.g. Olley et al., 2004; Arnold et al., 2007), demonstrating that it is not an unusual situation. The results from the normality tests on the sub-samples of Aber/70KLA1 suggest that 50  $D_e$ 

values are necessary to be certain of determining whether the sample is non-normal; datasets consisting of less than 50 D<sub>e</sub> values may appear to be well-bleached when in fact the sample is not. The results from the different statistical models also indicate that, for most of the methods, at least 50 De values are necessary to obtain reproducible estimates of D<sub>b</sub> for this sample, and the D<sub>b</sub> values calculated using the Finite Mixture Model were consistent with the  $D_b$  from the entire dataset of 122  $D_e$  values. Therefore, for analysis of samples from a similar depositional environment which may be heterogeneously bleached, 50 D<sub>e</sub> values are recommended as the minimum working population.

#### References

- Arnold, L.J., Bailey, R.M., Tucker, G.E. (2007). Statistical treatment of fluvial dose distributions from southern Colorado arroyo deposits. *Quaternary Geochronology* 2, 162-167.
- Colls, A.E., Stokes, S., Blum, M.D., Straffin, E. (2001). Age limits on the late Quaternary evolution of the upper Loire River. *Quaternary Science Reviews* **20**, 743-450,
- Duller, G.A.T. (2003). Distinguishing quartz and feldspar in single grain luminescence measurements. *Radiation Measurements* **37**, 161-165.
- Duller, G.A.T. (2007). Assessing the error on equivalent dose estimates derived from single aliquot regenerative dose measurements. *Ancient TL* **25**, 15-24.
- Folz, E., Bodu, P., Bonte, P., Joron, J.L., Mercier, N., Reyss, J.L. (2001). OSL dating of fluvial quartz from Le Closeau, a Late Paleolithic site near Paris – comparison with 14C chronology. *Quaternary Science Reviews* 20, 927-933.
- Fuchs, M., Lang, A. (2001). OSL dating of coarsegrain quartz using single-aliquot protocols on sediments from NE Peloponnese, Greece. *Quaternary Science Reviews* 20, 783-787.
- Galbraith, R.F., Green, P.F. (1990). Estimating the component ages in a finite mixture. *Nuclear Tracks and Radiation Measurements* **17**, 197-206.
- Galbraith, R.F., Laslett, G. (1993). Statistical models for mixed fission track ages. *Radiation Measurements* 21, 459-470.
- Galbraith, R. F., Roberts, R. G., Laslett, G. M., Yoshida, H., Olley, J. M. (1999). Optical dating of single and multiple grains of quartz from Jinmium rock shelter, northern Australia: Part I, Experimental design and statistical models. *Archaeometry* **41**, 339-364.

- Jacobs, Z., Wintle, A.G., Duller, G.A.T., Roberts, R.G., Wadley, L. (2008). New ages for the post-Howiesons Poort, late and final Middle Stone Age at Sibudu, South Africa. *Journal of Archaeological Science* 35, 1790-1807.
- Lepper, K., Agersnap Larsen, N., McKeever, S.W.S. (2000). Equivalent dose distribution analysis of Holocene eolian and fluvial quartz sands from Central Oklahoma. *Radiation Measurements* **32**, 603-608.
- Murray, A.S., Wintle, A.G. (2000). Luminescence dating of quartz using an improved singlealiquot regenerative-dose protocol. *Radiation Measurements* **32**, 57-73.
- Murray, A.S., Olley, J.M., Caitcheon, G.G. (1995). Measurement of equivalent doses in quartz from contemporary water-lain sediments using optically stimulated luminescence. *Quaternary Geochronology (QSR)* 14, 365-371.
- Olley, J.M., Caitcheon, G.G., Murray, A.S. (1998). The distribution of apparent dose as determined by optically stimulated luminescence in small aliquots of fluvial quartz: implications for dating young sediments. *Quaternary Geochronology (QSR)* **17**, 1033-1040.
- Olley, J.M., Pietsch, T., Roberts, R.G. (2004). Optical dating of Holocene sediments from a variety of geomorphic settings using single grains of quartz. *Geomorphology* **60**, 337-358.
- Rodnight, H., Duller, G.A.T., Wintle, A. G., Tooth, S. (2006). Assessing the reproducibility and accuracy of optical dating of fluvial deposits. *Quaternary Geochronology* 1, 109-120.
- Rowland, J.C., Lepper, K., Dietrich, W.E., Wilson, C.J., Sheldon, R. (2005). Tie channel sedimentation rates, oxbow formation age and channel migration rate from optically stimulated luminescence (OSL) analysis of floodplain deposits. *Earth Surface Processes* and Landforms **30**, 1161-1179.
- Srivastava, P., Juyal, N., Singhvi, A.K., Wasson, R.J., Bateman, M.D. (2001). Luminescence chronology of river adjustment and incision of Quaternary sediments in the alluvial plain of the Sabarmati River, north Gujarat, India. *Geomorphology* **36**, 217-229.
- Thomsen, K.J., Jain, M., Bøtter-Jensen, L., Murray, A.S., Jungner, H. (2003). Variation with depth of dose distributions in single grains of quartz extracted from an irradiated concrete block. *Radiation Measurements* **37**, 315-321.

Reviewer

A. Lang